# Single-dish Radioastronomy in the mm/submm domain

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#### Outline

- •Introduction
- •Antenna
- •Source flux and antenna temperature
- •Heterodyne receiver
- •Spectrometer
- •Calibration
- •Observations

#### Main dingle-dish antenna

Institute	Diameter (m)	Frequency (GHz)	Wavelength (mm)	HPBW (")	Latitude
Max-Planck	100	0.09 - 1.15	3 - 300	11 - 680	$+47^{\circ}$
IRAM	30	80 - 280	1 - 3	9 - 30	$+37^{\circ}$
JCMT	15	210 - 710	0.2 - 2	8 - 20	$+20^{\circ}$
APEX	12	230 - 1200	0.3 - 1.3	6 - 30	$-22^{\circ}$
CSO	10.4	230 - 810	0.4 - 1.3	10 - 30	$+20^{\circ}$



IRAM-30m



JCMT-15m



APEX-12m



#### A little bit of science



Whirlpool galaxy (M51) CO integrated map M82 – spectral survey

#### Antenna

#### IRAM-30m -Granada/Spain (Pico Veleta) -altitude of 3000 m



#### Overview

Characteristics of a Cassegrain single-dish antenna



## Terminology

<u>Antenna</u> (e.g. IRAM-30m) Beam (PSF) =  $1.2*\lambda/D = 8-30$ " - FoV

Frontend Receiver (Rx) -Bandwidth (BW)  $\Delta v = 0.5-8$  GHz

-Sky frequency  $(v_s)$   $v_s$ =80-1200 GHz (i.e.  $\lambda_s$  =3-0.3mm)

-Polarization

Bolometer  $\Delta v = \delta v = 50 \text{ GHz}$ e.g. NIKA2 (196 pixels, Fov ~2') Backend **Spectrometers** -Autocorrelator -Fourier transf. (FTS) -Filter Bank (FB) -Acousto Optics (AOS) -Spectral resolution ( $\delta v$ )  $-\delta v (min) = 10-100 \text{ KHz}$ -Power spectral resolution (R)  $-R = v_s / \delta v > 10^6 - 10^7$ 

 $-R = v_s / \sigma v > 10^{\circ} - dV > 10 m/s$ 

#### Antenna

#### Why Cassegrain configuration ?

We want a large  ${\cal F}/{\cal D}$ 

- increase effective area (or on-axis gain)
- use secondary focus: decrease spillover
- Rx alignement more easily acheived; focal plane arrays
- but increase mechanical load
- ⇒ Cassegrain configuration
- + Effective ratio  $F_e/D = m(F/D)$
- obstruction by subreflector ( $\varnothing = 2 \text{ m at } 30$ -m)  $\Rightarrow$  wider main-beam
- 30m antenna: F/D=0.35 , m=27.8 ,  $F_e/D\approx 10$



#### Ideal Beam Pattern

Diffraction theory, Huygens-Fresnel, Franhoffer approx.  $E(\theta, \phi) =$  Fourier Transform [ $E_{ant}(x, y)$ ]

Sharp cut of the antenna domain-oscillation (sidelobe)→ Taper (apodisation)





80 -5 60 40 -10 20 0 -15 -20 -20 -40 -60 -25 -80 -30 -50 50 0

#### Real Beam Pattern

-Secondary beams (finite surface antenna) -Error beams (surface imperfection)

real beam : main beam + error beam

→ Important for extended sources



#### Antenna Diagram

The antenna pattern is the telescope response to a point source, as a function of angle, normalized to unity on axis:

 $P_n(\theta, \phi) = P(\theta, \phi) / Pmax$ 

The beam solid angle  $\Omega_A$  is defined by

$$\Omega_{\rm A} = \iint_{4\pi} P_n(\theta, \varphi) \ d \ \Omega$$

The spatial resolution of a telescope is characterized by the Half Power Beam Width (HPBW) of the main lobe (i.e. PSF)

HPBW ~  $1.2*\lambda/D$ 

#### Antenna diagram



The main beam (in red) may often be simplified by a gaussian shape while the secondary beams (in blue) are more complex.

#### Source flux density (I)

The flux density  $S_{v,tot}$  that is the power radiated per unit area and per unit frequency ( $S_v$  in Jansky : 1 Jy = 10<sup>-26</sup> W.m<sup>-2</sup>.Hz<sup>-1</sup>) from a radio source at a given frequency, is given by

$$S_{v,tot} = \int_{\Omega s} B(v) \psi(\theta, \varphi) d \Omega$$

B(v) is the planck's law  $\psi(\theta, \varphi)$  describes the normalized spatial brightness distribution of the source:  $\psi(0,0) = 1$  and  $\psi(\theta, \varphi) = 0$  outside the source.

 $\Omega_{\rm S}$  is the source solid angle:

$$\Omega_{\rm S} = = \int_{4\pi} \psi(\theta, \varphi) \, d \, \Omega$$

## Source flux density (II)

 $S_{v,tot} = 2k v^2/c^2 \int_{\Omega s} J_v(Tb) \psi(\theta, \varphi) d \Omega$ 

Tb is the Planck brightness temperature of the source.

 $J_v(Tb)$  is the Rayleigh-Jeans brightness temperature at the frequency v:

 $J_{v}(Tb) \equiv T_{RJ} = hv/k [exp(hv/kTb)-1]^{-1}$ 

where k is the Boltzman constant.

Note, at cm radioastronomy the Rayleigh-Jeans approximation (h v/kTb << 1) being often valid, gives  $S_{v,tot} = 2kT/\lambda^2 . \Omega_s$ 

#### Antenna Temperature

The measured antenna temperature [K] is given by the convolution integral of the antenna diagram and source brightness distribution:

$$Ta^{*}(\theta,\varphi) = 1/(\eta_{l}\Omega_{A}) \int_{\Omega_{S}} P(\theta,\varphi) J_{v}(v) \psi(\theta,\varphi) d\Omega$$

Where  $\eta_l$  is the ratio of power detected from the forward hemisphere to the total power detected *the so-called forward efficiency (Feff)* 

*Feff*~0.9



Aperture Efficiency and point source sensitivity

The aperture efficiency can be determined via the observed peak antenna temperature  $Ta^*$  of a point like source when its total flux density  $S_{v,beam}$  is known.

$$\eta_a = A_{eff} / A_{geom} = 2k / A_{geom} Ta^* / S_{v,beam}$$

$$\Rightarrow \eta_a = 2k / A_{geom} * 1 / \chi_{pss}$$

thereby also defining the point source sensitivity  $\chi_{pss}$ in Jansky per Kelvin which is often used instead of  $\eta_a$ 

$$\chi_{pss} = S_{v,beam} / Ta^* \text{ [in Jy/k]}$$

## Main Beam Efficiency (I)

The main beam efficiency is defined as the percentage of power entering through the main beam between the first nulls.

$$\eta_{mb} = \Omega_{mb} / \Omega_a$$

The main beam efficiency (Beff) is linked to  $\eta a$ . For a gaussian beam : Beff ~ 1.2  $\eta a$ 

Beff = Beff0\*exp(-
$$(4\pi\sigma/\lambda)^2$$
)

Where  $\sigma$  is the surface rms accuracy (e.g.  $\sigma = 50 \ \mu m$  for the IRAM-30m)

Main beam temperature

Tmb = Feff/Beff .Ta\*

#### Main Beam Efficiency (Beff)



Beff

#### Point source sensitivity (Jy/K)



Single-Dish Efficiency (Jy/K)

#### Correction for non point-like source

the correction factor K

$$Ta^* = S_{v,tot} A_{eff} / (2k.Feff).K$$

With

$$K = [1 - exp^{(-x^2)}]/x^2 < 1$$

For a gaussian beam ,  $x = (\ln 2)^{0.5} \cdot \theta_s / \theta_b$  $\theta_s$  is the source angular diameter  $\theta_b$  is the beam size

#### Frontend

#### Heterodyne Receiver

<u>Heterodyne</u> : refer to a receiver where the input frequency  $v_s$  is shifted to a lower frequency  $v_{if}$  (called intermediate frequency).

This is done by adding a local oscillator frequency  $v_{lo}$  and passing the sum in a non-linear device called mixer.  $v_{if}$  can be more easily amplified.

 $v_{lo} \sim v_s \sim 80\text{-}1200 \text{ GHz}$  $v_{if} \sim 4\text{-}12 \text{ GHz}$ 



#### Heterodyne Receiver

$$\begin{split} \nu_{lo} &= V_{lo} \cdot \cos(\omega_{lo}t) \\ \nu_s &= V_s \cdot \cos(\omega_s t + \phi_s) \\ \nu_{if} &= A \cdot (\nu_{lo} + \nu_s)^2 \\ \end{split}$$

$$\begin{split} \nu_{if} &= A \cdot V_{lo} \cdot V_s \cos[(\omega_s - \omega_{lo})t + \phi_s] + \dots \\ \nu_{if} &= A \cdot V_{lo} \cdot V_s \cos[(\omega_{lo} - \omega_s)t + \phi_s] + \dots \end{split}$$

Upper side Band (USB) USB :  $\omega_s > \omega_{lo}$ 

Lower side Band (LSB) LSB :  $\omega_s < \omega_{lo}$ 



gs and gi are the receiver gain in the signal and image band (i.e. USB or LSB), with gs+gi=1. g is the image to gain ratio g=gs/gi

#### **SIS** Junction



The SIS junction is a supraconductrice-isolantsupraconductrice diode made with (Nb-N) in the mm/submm domain.

It is a Non-linear diode, which works at a temperature of 4K, This junction is the detector present in the mixer device.

Figure 5.5: Current-voltage characteristics of an SIS junction operating in a mixer. The two curves were measured without and with LO power applied (frequency 230GHz); they have been slightly idealized (for pedagogical reasons, of course).

#### Heterodyne Receiver



-Diagram of a heterodyne receiver within a cryostat – **single pixel** -Entrance **horn** allow to measure **only a single polarization** (i.e. H or V, which means 50% of the signal)

#### Heterodyne Receiver



The noise (i.e. sensitivity) of an heterodyne receiver is characterized by its receiver temperature (Trec ~50-80 K in the mm domain).

#### **Receiver Cabin**





#### Backend

## Spectrometers

-Autocorrelator -Fourier transform spectrometer (FTS) -Filter Bank (FB) -Acousto Optics (AOS)

-Spectral resolution ( $\delta v$ ) - $\delta v = 10-1000 \text{ KHz}$ 

-Power spectral resolution (R) -R =v0/  $\delta v > 10^6 - 10^7$ 

-Digital quantification loss :  $\eta c \sim 0.9$ 



#### Calibration



#### Calibration scheme



Scheme of a Dual-load calibration device

#### **BASIC EQUATIONS**

The receiver power output  $P_X$  are proportional to the emission  $J_X$  from a load or the sky :

$$P_{\text{hot}} = K(T_{\text{rec}} + J_{\text{hot}})$$
$$P_{\text{cold}} = K(T_{\text{rec}} + J_{\text{cold}})$$
$$P_{\text{sky}} = K(T_{\text{rec}} + J_{\text{sky}})$$

 $T_{\rm rec}$  is the receiver temperature, and K is the detector gain.

Single-Dish source Measurement :

 $C_{ON-OFF} \simeq K(g_s \eta \exp^{-\tau} T_a^*)$ 

Interferometer cross-correlation :

$$C_{source} = K(g_s \eta \exp^{-\tau} T_a^*)$$

 $T_a^*$  is the source antenna temperature corrected from the atmospheric absorption and  $\eta$  is the forward efficiency.

#### **Dual-Load Calibration**

In the dual-load calibration system, a cold and an ambient temperature loads are used in general.

$$T_a^* = \frac{e^{\tau}}{g_s \eta} (J_{\text{hot}} - J_{\text{cold}}) \frac{C_{\text{source}}}{P_{\text{hot}} - P_{\text{cold}}} = T_{\text{cal}} \frac{C_{\text{source}}}{P_{\text{hot}} - P_{\text{cold}}}$$
(9)

where the calibration temperature is now

$$T_{\rm cal} = \frac{(1+g)e^{\tau}}{\eta} (J_{\rm hot} - J_{\rm cold})$$
(10)

Accurate calibration requires accurate knowledge of  $\tau$ ,  $\eta$ , g and of the effective load temperatures.

#### Atmospheric opacity

The atmospheric emission,  $J_{\text{atm}}$ , can be computed as :

$$J_{\text{atm}} = \frac{J_{\text{sky}} - (1 - \eta)J_{\text{spill}}}{\eta} = J_{\text{m}}(1 - \exp^{-\tau})$$

from the ATM program input :  $J_{\text{atm}}$ output :  $J_{\text{atm}}^s, J_{\text{atm}}^i, \tau_s, \tau_i, H_2O$ , and also,  $J_{\text{m}}^s, J_{\text{m}}^i$ 

#### System temperature (Tsys)

The global system noise (receiver and atmosphere) is know as the system temperature  $(T_{sys})$  and can be computed as :

$$T_{\rm sys} = \frac{(1+g)}{\eta \exp^{-\tau}} [\eta J_{\rm atm} + (1-\eta) J_{\rm spill} + T_{rec}]$$

under normal weather conditions (pwv ~ 2-4 mm at 3000m) Tsys ~ 100-300 K in the mm domain

#### Observations

#### **Observation sequence**

- -Receiver tuning at the frequency  $v_s$ -Correlator setup of all units (i.e.  $\delta v$ )
- -Calibration : Trec, Tsys, atmospheric opacity (τ)
  (e.g. Chopper wheel method on a dual-load calibration system)
- -**Pointing** check : on a nearby quasar or a planet with strong signal. [move the antenna in  $\Delta$ (Azimuth),  $\Delta$ (Elevation) i.e. X,Y plane ]
- -Focus check : also on a quasar or a planet [move the sub-reflector in the Z axis ]
- -Observation on Source (i.e. ON-OFF see next slide)

## Observing method

ON-OFF to eliminate the atmospheric and background contribution -PSW : Position switching (antenna movement : t~ 30 s)

- -WSW : Wobbler switching (secondary mirror movement : t~ 2 s)
- -FSW : Frequency switching (change  $v_{lo}$  by ~ 10 MHz : t ~ 1s) double the integration time ON source. Adapted for narrow lines.

<u>Map with a single pixel receiver :</u> -perform several measurement points (nx,ny)

<u>Map with a multi-pixel receiver (e.g. 7) :</u> Same as before, but faster for large map

-**On-the-Fly mapping** (**OTF**) : continuous antenna movement and integration.

#### Single-Dish Sensitivity (I)

In antenna temperature

$$Ta* [K] = Tsys / [\eta c(A.\delta v.t_{tot})^{0.5}]$$

Where  $t_{tot}$  is the total integration time (ON+OFF),

In flux

$$\Delta S [Jy] = \chi_{pss} \Delta Ta^* = \chi_{pss} Tsys / [\eta c (A.\delta v.t_{tot})^{0.5}]$$

The factor A depends on the observing method : A(PSW) = 0.25 for PSW and WSW A(FSW) = 0.50 for FSW

Including overhead (calibration, pointing, focus, ...) for 50% observing efficiency A(PSW) = 0.125 and A(FSW) = 0.25

## Single-Dish Sensitivity (II)

Line	Continuum
WSW observation of CO(2-1)	WSW observation
$v_s = 230.538 \text{ GHz}$	$v_s = 230.538 \text{ GHz}$
$\delta v = 1 \text{ MHz},$	$\delta v = 8 \text{ GHz}$ ,
Tsys ~200 K,	Tsys ~200 K,
$\eta c=0.90, \chi_{pss} = 8 Jy/K$	$\eta c=0.90, \chi_{pss} = 8 Jy/K$
Ttot = 1 hour,	Ttot = 1 hour,
Observing efficiency = 50%	Observing efficiency = 50%
$\Rightarrow$ A=0.125	$\Rightarrow$ A=0.125
$\Delta Ta^* = 10 \text{ mK} \text{ or}$	$\Delta Ta^* = 0.1 \text{ mK} \text{ or}$
$\Delta S = 84 \text{ mJy}$	$\Delta S = 0.9 \text{ mJy}$
Tb = 20 K - $θ_s$ = 1"	Tb = 50 K - $\theta_s$ = 1"
→ S(230GHz) = 450 mJy	→ S(230GHz) = 1.3 Jy
Tmb = 85 mK - Ta* = 56 mK	Tmb = 0.25 K - Ta* = 0.17 K
→ SNR ~5	→ SNR ~ 150

#### **Summary for Proposal**

Before writing a proposal, one need to check :

-The integration time needed to perform its science. (max few 10-50 of hours at the IRAM-30m) Use the time estimator : http://www.iram.es/nte/

-Spatial resolution needed (8-30" IRAM-30m)

-Mapping FOV (reasonable max ~ 2-10' at IRAM-30m)

- Optimize the tuning and spectral setup

-RA, DEC of the source (source elevation  $> 20^{\circ}$ )